Numbers needed to treat derived from meta-analysis: a word of caution

In clinical trials, treatment effects from binary outcomes, such as “alive” or “dead”, can be presented in various ways (eg, relative risk reduction [RRR] and absolute risk reduction [ARR]).¹⁻² (See glossary for definitions and calculations). Alternatively, the *number needed to treat* (NNT) is an expression of the number of patients who need to be treated to prevent one additional adverse event.²⁻⁴ Mathematically, the NNT equals the reciprocal of the ARR. Many journals now report results from clinical trials using the NNT, along with 95% confidence intervals (CIs).⁵

Since its introduction,³ a debate has ensued whether reporting NNTs from meta-analyses is misleading.^{4 6 7} *ACP Journal Club* and *Evidence-Based Medicine* have devoted attention to this debate, and methodological questions have been raised in various review discussions and commentaries.⁸⁻⁹ The objective of this editorial is to provide *Evidence-Based Medicine* readers with caveats and suggestions when applying NNTs from a meta-analysis to an individual patient. We highlight 2 problems. Firstly, NNTs from a meta-analysis are subject to variation in risk differences among the studies included in the meta-analysis as well as in baseline risks. Secondly, applying NNTs to an individual requires adjustment for their baseline risk.

NNTs derived from meta-analyses are affected by variations in risk differences among the studies, as well as baseline event rates in control groups of randomised controlled trials.^{1 10} Summary estimates of NNTs assume constant risk differences between trials, a problematic assumption because of inevitable variation in baseline event rates between trials, differences in outcomes considered, effects of secular trends on disease risk, and differences in clinical setting as well as duration of follow up (ie, time horizon).^{2 10} In primary prevention of chronic disease, such as cardiovascular disease, the effect of time trends will become noticeable.

Several approaches have been introduced to derive or present NNTs from summary risk estimates of meta-analysis. *Evidence-Based Medicine* readers have become familiar with standard summary presentations of meta-analytic research that provides NNTs based on pooled risk differences. However, in meta-analysis, the assumption underlying the pooling of any effect estimate is that measures are reasonably homogeneous across trials and that any variation can be attributed to random chance. In the case of the NNT, this means that absolute risk differences should be constant across studies. Growing empirical evidence suggests that relative risks and odds ratios in most instances provide more homogeneous estimates than absolute risk differences.¹ For this reason, clinicians should use NNTs that are derived from pooled estimates of relative risks instead of absolute risk differences.

Application of NNTs from meta-analyses to individual patients also requires attention to baseline risks, subject to the following conditions: knowledge of the baseline risk of the study patients and the estimated risk of the individual patient to whom

the NNT will be applied, and information on the time horizon of the study (eg, the median follow up time).

We illustrate these points using the meta-analysis of randomised controlled trials investigating the effect of n-3 polyunsaturated fatty acids on clinical endpoints in patients with coronary heart disease as an example.¹¹⁻¹² The meta-analysis found a 19% (CI 10% to 27%) RRR of overall mortality favouring the use of n-3 polyunsaturated fatty acids. In the *Evidence-Based Medicine* structured summary of this meta-analysis, the NNT derived from a pooled risk difference, and based on an average baseline risk of 9.5%, is 73 (CI 49 to 147).¹¹ However, this estimate does not reflect the high variability of baseline risk of the included trials. As discussed by the authors of the original meta-analysis,¹² the baseline risk of included trials ranged from 2–22%. Based on the pooled relative risk estimate, the corresponding NNT for an average follow up of 18 months is 263 (CI 185 to 500) for a baseline risk of 2% and 24 (CI 17 to 45) for a baseline risk of 22%. This example illustrates that if risk differences and baseline event rates in meta-analysis vary considerably across trials, the NNT derived from pooled absolute risk differences is not very informative and may be misleading if used to assess the benefit of a given intervention for an individual patient. Only if the baseline risk does not vary considerably across trials may the NNT derived from pooled risk differences be applied to determine the potential benefit for an individual patient.

Cook and Sackett⁴ and Straus¹³ have proposed a simple method to apply estimates of RRRs from single trials or a meta-analysis to individual baseline risk. They suggest comparing the patient's baseline risk with that of a typical patient in the published trial. If the baseline risk of an individual patient is a factor *f* compared with the baseline risk of a typical study patient and the relative risk is constant, the ARR for the patient is scaled according to the same factor *f*. The estimated NNT corresponding to patients at the revised baseline risk is therefore simply the study NNT multiplied by *f*. Thus, in our example, if a high risk patient is judged to have baseline risk 11 times higher than that of a low risk patient, then *f* = 11 and the corresponding NNT is $24 \times 11 = 264$. Confidence intervals can also easily be obtained by multiplying the limits of the corresponding confidence interval from the original study with the factor *f*. However, as we have mentioned, this method should not be used with NNTs that are derived from pooled estimates of absolute risk differences. For example, if a clinician used an NNT of 73 based on absolute risk differences and a weighted control event rate of 9.5% to assess the benefit of n-3 polyunsaturated fatty acids for a patient with a baseline risk of 2%, the resulting NNT would be 347 (compared with 263 based on relative risk estimates). Therefore, clinicians should be wary when interpreting NNTs derived from pooled risk differences of a meta-analysis if baseline risks or absolute risk differences vary across trials. In this case, it makes no sense to use an NNT for the “average” single trial patient or the “average” meta-analysis patient.

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Journals reviewed for this issue*

Acta Obstet Gynecol Scand	Arch Pediatr Adolesc Med	Gut	J Vasc Surg
Age Ageing	Arch Surg	Heart	Lancet
Am J Cardiol	Arthritis Rheum	Hypertension	Med Care
Am J Med	BJOG	JAMA	Med J Aust
Am J Obstet Gynecol	BMJ	J Am Coll Cardiol	N Engl J Med
Am J Psychiatry	Br J Gen Pract	J Am Coll Surg	Neurology
Am J Public Health	Br J Psychiatry	J Am Geriatr Soc	Obstet Gynecol
Am J Respir Crit Care Med	Br J Surg	J Clin Epidemiol	Pain
Ann Emerg Med	CMAJ	J Fam Pract	Pediatrics
Ann Intern Med	Chest	J Gen Intern Med	Rheumatology
Ann Surg	Circulation	J Infect Dis	Spine
Arch Dis Child	Cochrane Library	J Intern Med	Stroke
Arch Gen Psychiatry	Crit Care Med	J Neurol Neurosurg Psychiatry	Surgery
Arch Intern Med	Diabetes Care	J Pediatr	Thorax
Arch Neurol	Gastroenterology		

*Approximately 60 additional journals are reviewed. This list is available on request.

How to cite material from Evidence-Based Medicine

Citation of material from the Notebook

Milne R, Hicks N. Evidence-based purchasing [EBM Note]. *Evidence-Based Medicine* 1996 May-Jun;**1**:101–2.

Citation for material taken from a structured abstract, written without attribution by a staff member

Antihypertensive drugs decrease mortality, coronary events, and stroke in elderly persons [abstract]. *Evidence-Based Medicine* 1996 May-Jun;**4**:105. Abstract of: Pearce KA, Furberg CD, Rushing J. Does antihypertensive treatment of the elderly prevent cardiovascular events or prolong life? A meta-analysis of hypertension treatment trials. *Arch Fam Med* 1995;**4**:943–50.

Citation for material taken from a commentary to an article

Olds D. Commentary on “Home visiting programmes reduce childhood injury.” *Evidence-Based Medicine* 1996 May-Jun;**4**:112. Comment on: Roberts I, Kramer MS, Suissa S. Does home visiting prevent childhood injury? A systematic review of randomised controlled trials. *BMJ* 1996;**312**:29–33.

Letter

Numbers needed to treat derived from meta-analysis: a word of caution.

In the editorial by Drs Marx and Bucher in the March/April 2003 issue of *Evidence-Based Medicine*,¹ an example illustrating the application of estimates of RRRs to individual risk is misleading. In their example, Marx and Bucher state that the NNT would increase in patients with a baseline risk 11 times that of the low risk group, which is counterintuitive. If a high risk patient is judged to have a risk greater than that of a low risk patient, the NNT would be expected to decrease, not increase. I

believe they meant to say that the NNT divided by the factor f will yield the adjusted risk of outcome in an individual patient.

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- 1 Marx A, Bucher HC. Numbers needed to treat derived from meta-analysis: a word of caution [Editorial]. *Evidence-Based Medicine* 2003 Mar-Apr;36-7.

Authors' response:

Dear Dr Peterson:

Your observation is correct and implicitly concurs with our example, but we failed to correctly state when to divide by factor f and when to multiply. In paragraph #6 we wrote: "... the baseline risk of included trials ranged from 2% to 22%...the corresponding NNT for an average follow-up of 18 months is 263 (CI 185 to 500) for a baseline risk of 2% and 24 (CI 17 to 45) for a baseline risk of 22%."

In paragraph #7 we wrote: "If the baseline risk of an individual patient is a factor f compared with the baseline risk of a typical study patient and the relative risk is constant, the ARR for the patient is scaled according to the same factor f ." Thus, and as you state, if the baseline risk increases by factor f , the NNT needs to be divided by f . For example, for baseline risk 2% $\times$ 11 = 22%, the NNT becomes $263 \div 11 = 24$.

Thank you for giving us the opportunity to clarify this point and apologies for any confusion this may have caused.

Correction

In the seventh paragraph of the editorial by Marx and Bucher,¹ the fifth and sixth sentences should appear as follows:

Thus, in our example, if a high risk patient is judged to have baseline risk 11 times higher than that of a low risk patient, then $f = 11$ and the corresponding NNT is $263 \div 11 = 24$. Confidence intervals can also easily be estimated by dividing the limits of the corresponding confidence interval from the original study by the factor f .

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- 1 Marx A, Bucher HC. Numbers needed to treat derived from meta-analysis: a word of caution [Editorial]. *Evidence-Based Medicine* 2003 Mar-Apr;36-7.